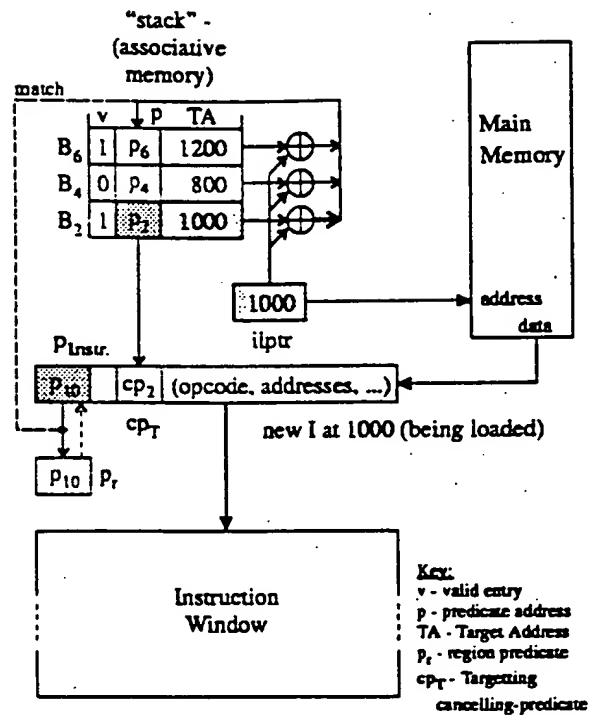


The diagram illustrates three types of set relationships between two sets, B_1 and B_2 :

- Disjoint:** Two separate vertical bars, one for B_1 and one for B_2 , with no overlap.
- Nested:** A vertical bar for B_1 that completely encloses a vertical bar for B_2 .
- Overlapped:** Two vertical bars, B_1 and B_2 , that partially overlap.

FIG. 1



Snapshot taken at $t = 9+$ of Example 5.
- new I matches target address in stack

FIG. 2

load time	address	code		predicate-assignment (at load time)			predicate-use (at code execution time)				
				stack			$P_{in}=P_r$	cp_{in}	P_{out}	cp_{out}	p_i - condition for I execution
1	100	I_1	$z = x \text{ op } y$	<div> <div>B</div> <div>v</div> <div>p</div> <div>TA</div> </div> <div>empty</div>			1	0	$p_1=1$	-	1
2	200	B_2	if (bc_2) goto 400	<div> <div>B_2</div> <div>1</div> <div>P_2</div> <div>400</div> </div>			1	0	$p_2=\overline{bc_2}$	bc_2	1
3	300	I_3		<div> <div>B_2</div> <div>1</div> <div>P_2</div> <div>400</div> </div>			P_2	0	-	-	$\overline{bc_2}$
4	400	I_4		<div>empty</div>			P_2	cp_2	$\overline{bc_2}+bc_2$	-	$\overline{bc_2}+bc_2=1$
5	500	I_5		<div>empty</div>			P_4	0	-	-	$p_4=1$
6	600	B_6	if (bc_6) goto 800	<div> <div>B_6</div> <div>1</div> <div>P_6</div> <div>800</div> </div>			P_4	0	$\overline{bc_6} \cdot P_4$	$bc_6 \cdot P_4$	1
7	700	I_7		<div> <div>B_6</div> <div>1</div> <div>P_6</div> <div>800</div> </div>			P_6	0	-	-	$\overline{bc_6}$
8	800	I_8		<div>empty</div>			P_6	cp_6	$\overline{bc_6}+bc_6$	-	$\overline{bc_6}+bc_6=1$
9	900	I_9		<div>empty</div>			P_8	0	-	-	$p_6=1$

Equations - for "T": $p_i = p_{out} = p_{in} + cp_{in}$; for "B": $p_{out} = \overline{bc} \cdot p_{in}$, $cp_{out} = bc \cdot p_{in}$

Equations - for "T": $p_i=p_{out}=p_{in}+cp_{in}$; for "B": $p_{out}=\overline{bc} \cdot p_{in}$, $cp_{out}=bc \cdot p_{in}$

FIG. 3

10E220" B298E850

load time	address	code		predicate-assignment (at load time)				predicate-use (at code execution time)				
				stack				$p_{in}=\overline{p_i}$	cp_{in}	p_{out}	cp_{out}	p_i - condition for I execution
				B	v	p	TA					
1	100	I_1	$z = x \text{ op } y$					1	0	$p_1=1$	-	1
2	200	B_2	if (bc_2) goto 800	B_2	1	P_2	800	1	0	$p_2=\overline{bc_2}$	bc_2	1
3	300	I_3		B_2	1	P_2	800	P_2	0	-	-	$\overline{bc_2}$
4	400	B_4	if (bc_4) goto 600	B_4	1	P_4	600	P_2	0	$\overline{bc_4} \cdot P_2$	$bc_4 \cdot P_2$	1
				B_2	1	P_2	800					
5	500	I_5		B_4	1	P_4	600	P_4	0	-	-	$\overline{bc_2} \cdot \overline{bc_4}$
				B_2	1	P_2	800					
6	600	I_6		B_2	1	P_2	800	P_4	cp_4	p_4+cp_4	-	$\overline{bc_4} \cdot \overline{bc_2} + bc_4 \cdot \overline{bc_2} = \overline{bc_2}$
7	700	I_7		B_2	1	P_2	800	P_6	0	-	-	$\overline{bc_2}$
8	800	I_8					empty	P_6	cp_2	p_6+cp_2	-	$\overline{bc_2} + bc_2 = 1$
9	900	I_9					empty	P_8	0	-	-	1

Equations - for "I": $p_i = p_{out} = p_{in} + cp_{in}$; for "B": $p_{out} = \overline{bc} \cdot p_{in}$, $cp_{out} = bc \cdot p_{in}$

FIG. 4

09836678.072301

load time	address	code		predicate-assignment (at load time)				predicate-use (at code execution time)				
				stack				$p_{in}=p_r$	cp_{in}	p_{out}	cp_{out}	p_i - condition for I execution
				B	v	p	TA					
1	100	I ₁	z = x op y	empty				1	0	$p_1=1$	-	1
2	200	B ₂	if (bc ₂) goto 600	B ₂	1	P ₂	600	1	0	$p_2=\overline{bc_2}$	bc ₂	1
3	300	I ₃		B ₂	1	P ₂	600	p ₂	0	-	-	$\overline{bc_2}$
4	400	B ₄	if (bc ₄) goto 800	B ₄	1	P ₄	800	p ₂	0	$\overline{bc_4} \cdot p_2$	bc ₄ · p ₂	1
				B ₂	1	P ₂	600					
5	500	I ₅		B ₄	1	P ₄	800	p ₄	0	-	-	$\overline{bc_4} \cdot \overline{bc_2}$
				B ₂	1	P ₂	600					
6	600	I ₆		B ₄	1	P ₄	800	p ₄	cp ₂	p_4+cp_2	-	$(\overline{bc_4} \cdot \overline{bc_2})+bc_2=\overline{bc_4}+bc_2$
				B ₂	0	P ₂	600					
7	700	I ₇		B ₄	1	P ₄	800	p ₆	0	-	-	$\overline{bc_4}+bc_2$
				B ₂	0	P ₂	600					
8	800	I ₈		empty				p ₆	cp ₄	p_6+cp_4	-	$\overline{bc_4}+bc_2+(bc_4 \cdot \overline{bc_2})=1$
9	900	I ₉		empty				p ₈	0	-	-	1

Equations - for "T": $p_i = p_{out} = p_{in} + cp_{in}$; for "B": $p_{out} = \overline{bc} \cdot p_{in}$, $cp_{out} = bc \cdot p_{in}$

FIG. 5

1098678.072301

load time	address	code		predicate-assignment (at load time)			predicate-use (at code execution time)			
				stack			$p_{in}=p_r$	cp_{in}	p_{out}	cp_{out} p_i - condition for I execution
1	100	I_1	$z = x \text{ op } y$	B	v	TA	1	0	$p_1=1$	1
				empty						
2	200	B_2	if (bc_2) goto 1000	B_2	1	p_2 1000	1	0	$p_2=\overline{bc_2}$	bc_2 1
3	300	I_3		B_2	1	p_2 1000	p_2	0	-	$\overline{bc_2}$
4	400	B_4	if (bc_4) goto 800	B_4	1	p_4 800	p_2	0	$\overline{bc_4} \cdot p_2$	$bc_4 \cdot p_2$ 1
				B_2	1	p_2 1000				
5	500	I_5		B_4	1	p_4 800	p_4	0	-	$\overline{bc_4} \cdot \overline{bc_2}$
				B_2	1	p_2 1000				
6	600	B_6	if (bc_6) goto 1200	B_6	1	p_6 1200	p_4	0	$\overline{bc_6} \cdot p_4$	$bc_6 \cdot p_4$ 1
				B_4	1	p_4 800				
				B_2	1	p_2 1000				
7	700	I_7		B_6	1	p_6 1200	p_6	0	-	$\overline{bc_6} \cdot \overline{bc_4} \cdot \overline{bc_2}$
				B_4	1	p_4 800				
				B_2	1	p_2 1000				
8	800	I_8		B_6	1	p_6 1200	p_6	cp_4	p_6+cp_4	$(\overline{bc_6} \cdot \overline{bc_4} \cdot \overline{bc_2}) + (bc_4 \cdot \overline{bc_2})$ $= (\overline{bc_6} + bc_4) \overline{bc_2}$
				B_4	0	p_4 800				
				B_2	1	p_2 1000				
9	900	I_9		B_6	1	p_6 1200	p_8	0	-	$(\overline{bc_6} + bc_4) \overline{bc_2}$
				B_4	0	p_4 800				
				B_2	1	p_2 1000				
10	1000	I_{10}		B_6	1	p_6 1200	p_8	cp_2	p_8+cp_2	$((\overline{bc_6} + bc_4) \overline{bc_2}) + bc_2$ $= \overline{bc_6} + bc_4 + bc_2$
11	1100	I_{11}		B_6	1	p_6 1200	p_{10}	0	-	$\overline{bc_6} + bc_4 + bc_2$
12	1200	I_{12}		empty			p_{10}	cp_6	$p_{10}+cp_6$	$\overline{bc_6} + bc_4 + bc_2 + (bc_6 \cdot \overline{bc_4} \cdot \overline{bc_2})$ $= 1$
13	1300	I_{13}		empty			p_{12}	0	-	1

Equations - for "I": $p_i = p_{out} = p_{in} + cp_{in}$; for "B": $p_{out} = \overline{bc} \cdot p_{in}$, $cp_{out} = bc \cdot p_{in}$

FIG. 6